



Robust Control Simulation and Implementation for DC Motor

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ABSTRACT

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The sliding mode controller has been suggested to achieve robust performance against parameter variations and load disturbances. It also offers a fast dynamic response, stable control system and easy hardware-software implementation. This paper focuses the application of this approach to the adjustment of a speed control DC motor, in Matlab Simulink simulation and Arduino hardware implementation, The main goal of this paper is to improve the performances of DC motor controlling by sliding mode. In first the modeling of DC motor is well explained in this paper, is important step for control of system, secondly the basic theory regarding sliding mode controller SMC using Lyapunov's function is presented. Finally the application of SMC using Matlab simulation and Arduino implementation for DC motor, the results show that SMC has a better performance compared to PI which is faster settling time and no overshoot and undershoot, could be used as an alternative controller for the DC Motor.

1. INTRODUCTION

A direct current (DC) motor is a very old machine, is widely used in automatic systems that require precise speed changes, the applications have become more important and developed in recent years [1, 2]. Because of their high reliability, flexibility and low cost, where speed control of motor is required [3, 4].

The DC motor will have changes in electrical parameters as temperature increases, current and voltage fluctuations, time-varying load conditions, driving and operating conditions. These changes cause the DC motor to have non-linear characteristics. Therefore, the nonlinear control method is necessary. In this research, SMC method will be applied to control the speed of DC motor [5, 6].

PI is one of the classic control methods still widely used. Based on 90% of industries [7], PI to be used due to the advantage of being simple and applicable. However, a disadvantage of this method is that performance decreases if the installation is non-linear [8], A PI corrector has an integration, which makes it possible to solve the problem of the static error. On the other hand, it slows down the system, so care must be taken to respect a sufficient phase margin, but not too large either (the greater the phase margin, the slower the response and the risk of saturation increases)

For a pure integral regulator, the dynamic regime is relatively long. On the other hand, the proportional regulator will react immediately to deviations from the setting, but cannot completely eliminate static errors. The combination of proportional and integral action makes it possible to combine the advantages of proportional action (i.e. rapid response to control deviations) with the advantage of integral action, which is precise compensation for the pilot.

Sliding Mode Control (SMC) is a controller that can handle non-linear conditions in the installation. The SMC is robustness, ability to handle nonlinear systems, time varying systems [9, 10], it can be designed for fast dynamic responses and good capabilities over a wide range [11, 12].

The sliding mode controller has been suggested to achieve robust performance against parameter variations and load disturbances. It also offers a fast dynamic response, stable control system and easy hardware-software implementation, is low-cost [13-16], and small [17].

On the other hand, this control method offers some drawbacks associated with the large torque chattering that appears in steady state. Chattering involves high-frequency control switching and may lead to excitation of unmodelled high frequency system dynamics. Chattering also causes high heat losses in electronic systems and undue wear in mechanical. In order to reduce the chattering phenomenon, a sign function is used.

Howbeit, the major problem encountered in the control DC motor is the determination of scaling factors of regulators, conventional PI. In fact, it has noted that there's no precise system dimensioning, which enables us to obtain controllers gains that give the asked performance, and the determination of gains is generally through the trial and error system grounded on manual testing a number of implicit results until an acceptable result. In order to grease the tuning of regulators earnings icing optimal performance and reduced time consumption comparatively to the "trial-error", we Address by genetic algorithms" Genetic Algorithms (GAs).

The strength of genetic algorithms is their ability to search out the realm of area solutions containing the global optimum of the objective function. However, they're ineffective once it involves realize the precise value of the optimum during this space. Or this can be exactly what the native optimization

algorithms perform best. It's so natural to supposed to associate an area algorithmic program with genetic algorithmic program so as to search out the precise worth of the global optimum. We are able to simply do therefore by applying at the top of the genetic algorithmic program an area algorithmic program on the simplest item found, like the gradient or simplex algorithmic program.

The special merit of the suggested optimized controllers is a) To search the optimum operating point for DC motor in speed control mode. b) To enhance the performance of DC motor

The outline of this paper is as follows: in Section II, the modeling of the DC motor is presented. The design of a SMC for speed regulation of a DC motor is presented in Section 3. In Section 4 Hybrid genetic algorithms based mostly PI controller is proposed In Section 5 the performances of the proposed control are illustrated by some simulation and implementation results. Finally, some concluding remarks are given in Section 6.

2. DC MOTOR MODELING

To control the speed of DC motor, there are three methods: armature voltage control, armature resistance control and field resistance control. The method used in this study is the first one, the armature volt practical and the most observable one [18, 19].

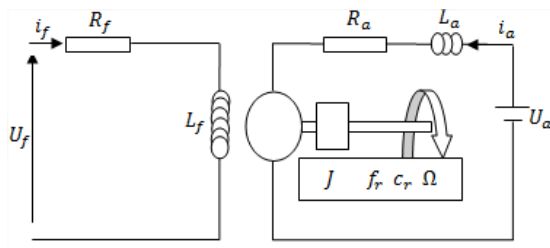


Figure 1. DC motor electric model

According to this electric model one can draw the equations presenting the motor as follows (shows Figure 1):

Electrical equations

$$U_a(p) = L_a p i_a(p) + R_a i_a(p) + K_e \Omega(p) \quad (1)$$

Mechanical equation

$$C_{em}(p) - C_r = J p \Omega(p) + f_r \Omega(p) \quad (2)$$

Electromechanical equations

$$E = k_e \Omega, C_{em}(p) = k_c i_a(p) \quad (3)$$

So the transfers function we use the parameters (Table 1):

$$F(p) = \frac{\Omega(p)}{U_a(p)} = \frac{K_c}{j L_a p^2 + (R_a j + L_a f_r) p + R_a f_r + K_c K_e} \quad (4)$$

$$F(p) = \frac{\Omega(p)}{U_a(p)} = \frac{13.89}{p^2 + 5.648 p + 1.509} \quad (5)$$

Table 1. DC motor parameter value

Parameter	Value
Armature resistance R_a	0.4Ω
The armature inductance L_a	2.7H
Inertia J	0.0004 Kg/m ²
Coefficient of friction f_r	0.0022 Nm s/rad
K_c	0.005 Nm/A
K_e	0.015
Voltage	12v
Working voltage	between 6 V and 18 V
Motor rated voltage:	12 V
12V no-load motor speed:	915 RPM
12 V no-load current	50 mA
stall current at 12 V	1200 mA
stall torque at 12 V	1 kg.cm
Gear ratio	1:9.6

3. DESIGN OF SLIDING MODE CONTROLLER FOR DC MOTOR

The basic principle of the sliding mode control consists in moving the state trajectory of the system toward a surface $S(X) = 0$ and maintaining it around this surface with the switching logic function U_n . The basic sliding mode control law is expressed as [20] (shows Figure 2):

$$U = U_{eq} + U_n \quad (6)$$

This expression uses two terms, U_{eq} and U_n . Where U_{eq} : is determined off line with a model that represents the plant as accurately as possible.

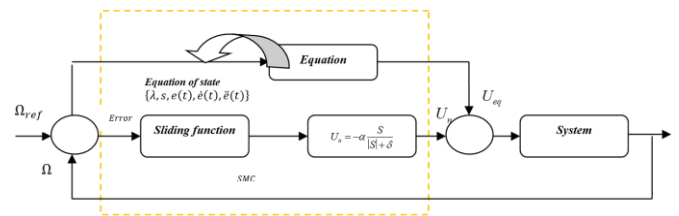


Figure 2. Diagram block of sliding mode control (SMC)

The trajectory tracking problem consists in determining a control law $u(x)$ which makes it possible to ensure the convergence of the state x of the system towards the desired state x_d .

The sliding variable is:

$$S = \dot{e} + \lambda e \quad (7)$$

with, $\lambda > 0$.

e : The error.

$$e = x_d - x_1 = \Omega - \Omega_{ref} \quad (8)$$

\dot{e} : The error derivative.

$$\dot{e} = \dot{x}_d - \dot{x}_1 \quad (9)$$

The transfer function:

$$F(p) = \frac{\Omega(p)}{U_a(p)} = \frac{K_c}{jL_a p^2 + (R_a j + L_a f_r)p + R_a f_r + K_c K_e}$$

We pose:

$$\begin{aligned} jL_a &= A \\ R_a j + L_a f_r &= B \\ R_a f_r + K_e K_c &= C \\ F(p) &= \frac{\Omega(p)}{U(p)} = \frac{K_c}{Ap^2 + Bp + C} \end{aligned}$$

We divide the equation on A:

$$F(p) = \frac{\Omega(p)}{U(p)} = \frac{K_c/A}{p^2 + B/A p + C/A}$$

In the time domain, the equation F(p) can be written:

$$\begin{aligned} p^2 \Omega + \frac{B}{A} p \Omega + \frac{C}{A} \Omega &= \frac{K_c}{A} U \\ \ddot{\omega} + \frac{B}{A} \dot{\omega} + \frac{C}{A} \omega &= \frac{K_c}{A} U \\ \ddot{\omega} &= \frac{K_c}{A} U - \frac{B}{A} \dot{\omega} - \frac{C}{A} \omega \end{aligned}$$

with, $x_1 = \omega(t)$.

Then the system can be converted to the following canonical form:

$$\begin{aligned} \dot{x}_1 &= x_2 = \dot{\Omega}(t) \\ \dot{x}_2 &= \dot{x}_2 = \ddot{\Omega}(t) \end{aligned}$$

So:

$$\begin{aligned} \dot{x}_2 &= \frac{K_c}{A} U - \frac{B}{A} \dot{\Omega} - \frac{C}{A} \Omega \\ S &= \dot{e} + \lambda e \\ S &= (\dot{x}_d - \dot{x}_1) + \lambda(x_d - x_1) \end{aligned}$$

The discontinuous command is given by:

$$U_n = -\alpha \frac{S}{|S| + \delta} \quad (10)$$

U_{eq} Determined from the relationship: $\dot{S} = 0$.

$$\begin{aligned} \dot{S} &= (\ddot{x}_d - \ddot{x}_1) + \lambda(\dot{x}_d - \dot{x}_1) \\ \dot{S} &= (\ddot{x}_d - \left[\frac{K_c}{A} U_{eq} - \frac{B}{A} x_2 - \frac{C}{A} x_1 \right]) + \lambda \dot{x}_d - \lambda x_2 \\ \dot{S} = 0 &\Rightarrow \ddot{x}_d - \left[\frac{K_c}{A} U_{eq} + \frac{B}{A} x_2 - \frac{C}{A} x_1 \right] + \lambda \dot{x}_d - \lambda x_2 = 0 \quad (11) \\ U_{eq} &= \frac{A}{K_c} \left[\frac{B}{A} x_2 - \frac{C}{A} x_1 + \lambda \dot{x}_d - \lambda x_2 + \ddot{x}_d \right] \end{aligned}$$

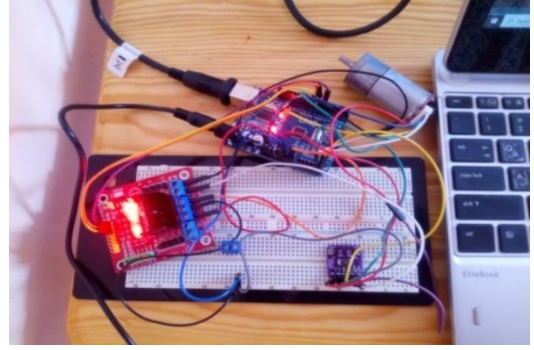


Figure 3. DC motor hardware setup

4. HYBRID GENETIC ALGORITHMS BASED CONVENTIONAL CONTROLLER

Using hybrid genetic algorithmic program as associate improvement tool to facilitate the manual effort of trial and error [21], the determination of the speed controller parameters, is obtained by the diminution of quadratic speed error of hybrid genetic algorithmic program as associate improvement tool to DC motor in steady state that enables the search of optimum answer of the subsequent objective function.

$$\text{Min}(f_{obj} = \int_0^{tf} (\Omega - \Omega_{ref})^2 dt) \quad (12)$$

Figure 4 shows the principle of this procedure scheme. Besides this optimization needs the determination of different operators of GAs such as coding, fitness, selection, mutation, crossover and mutation. In this study it has used: - Real coding of each individual composed by genes. We have choose the following parameters.

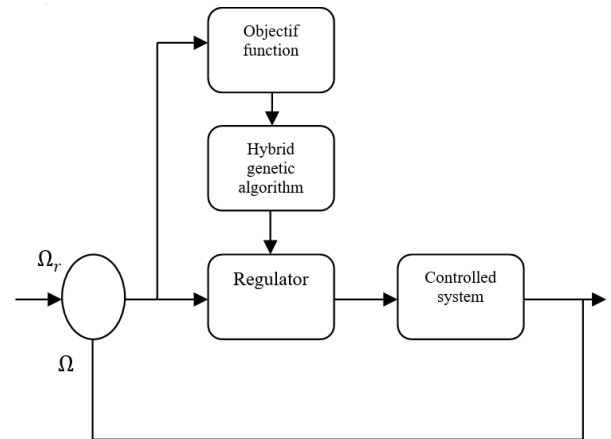


Figure 4. Basic structure of optimization speed controller gains by the hybrid genetic algorithms

5. RESULTS AND DISCUSSION

The result of numerical simulation using Matlab Software Figure 3 and the hardware implementation using the Arduino microcontroller were seen in Figure 5, we used a equation command (12). In this paper the reference speed is 500 rpm, for this speed, the current is 27,32 mA, and the electromagnetic torque 1.15 kg.cm.

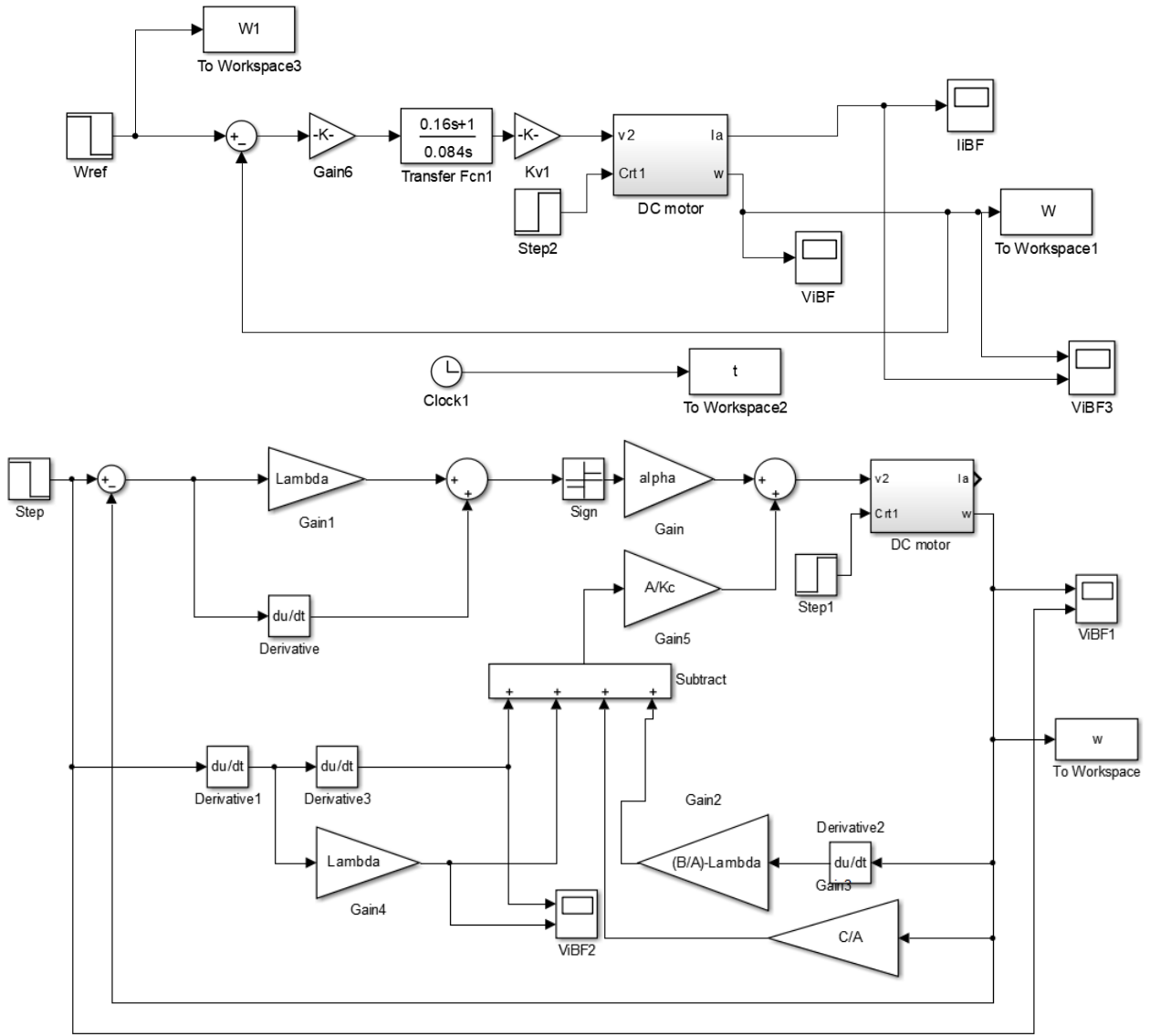


Figure 5. Simulation of SMC and PI of system

5.1 Numerical simulation

From the system response, it can be seen that the motor speed follows the given reference. The role of the integral action is to cancel the difference between the measurement and the set point (the static error is zero).

The effects of the PI corrector are:

- Decreased rise time.
- Elimination of static error.
- Increased stabilization time.
- Increased overshoot.

According to the satisfactory results obtained in Figure 6, it can be seen that the motor speed follows its reference, which shows that the use of sliding control of the system has better performance compared to the PI which is a faster stabilization time and the response time by sliding mode is better compared to the PI corrector. Table 2 gives comparison between SMC and PI.

Table 2. System response performance

Controller	System response performance		
	Settling time	Overshoot %	Static error
SMC	$7.5 \cdot 10^{-3}$	0	0
PI	1.5	38	16

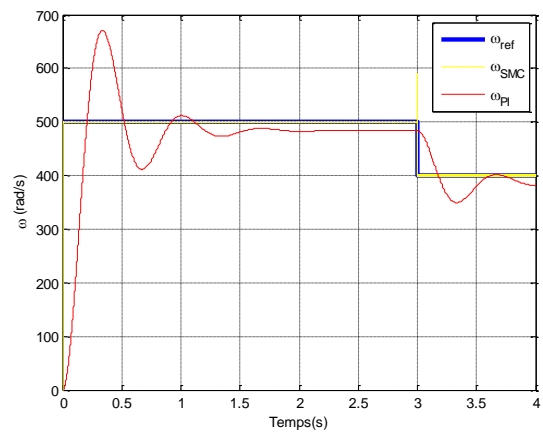


Figure 6. Numerical simulation of SMC and PI of system

5.2 Arduino hardware implementation

The hardware implementation would be done using Arduino, JGA25 DC motor, L298 driver motor, encoder and INA219 current sensor. The configuration of the device is shown in Figure 3.

The result of PI is shown in Figure 7. The control signal SMC is shown in Figure 8. It can be seen that the system was able to reach the reference quickly in SMC compared with PI. The detailed system response is shown in Table 3.

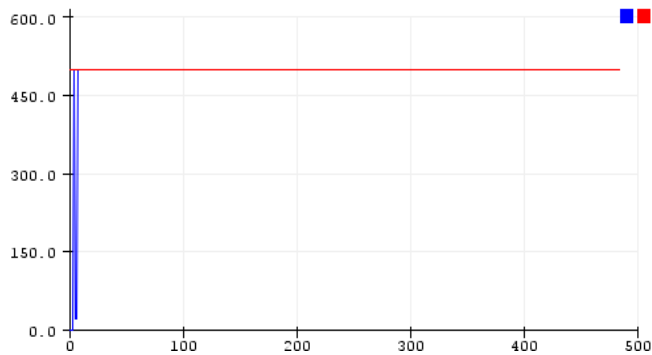


Figure 7. The control signal PI controller

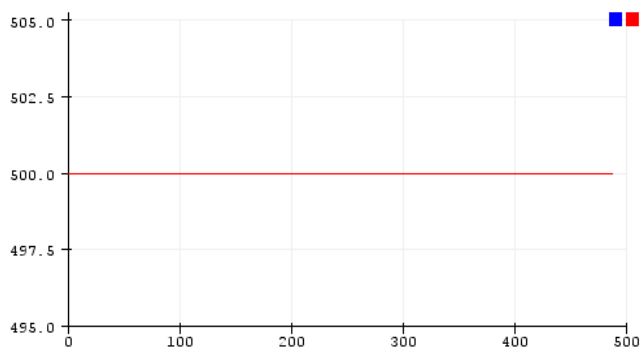


Figure 8. The control signal SMC

Table 3. System response performance

Controller	System response performance		
	Settling time	Overshoot %	Static error
SMC	47.10^{-3}	0	0
PI	1.04	0	$0.23.10^{-3}$

6. CONCLUSIONS

The sliding mode control shows good performance in tracking and speed regulation (response speed without overshoot, without static error). The strong point of this regulation technique is the simplicity of implementation and the robustness even in the presence of internal and external disturbances with a very short response time. Finally, we can conclude that the essential characteristic of this technique is the capacity for robustness in the whole steady state. The simulation results show us that the responses with the SMC for speed control are more efficient. The proposed approach achieves:

- Good pursuit of reference speed;
- Starting without over shoot.

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NOMENCLATURE

R_a	Armature resistance Ω
L_a	The armature inductance H
J	Inertia Kg/m^2
f_r	Coefficient of friction Nm s/rad
K_e	Cst Nm/A
K_c	Cst Nm/A
Ω	Speed
U	Voltage
λ	Positive constant
S	Sliding surface
δ	A small and positive parameter
\dot{e}	The error derivative
\ddot{e}	The error second derivative
U_{eq}	The equivalent command
U_n	The convergence command